

# *Measurements and theories, experimental methods.*

*Gevorg Karyan*

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# Scientific method

*... by means of intuition we isolate in a specific phenomenon certain elements which we then translate into a quantitative form. We next endeavor to discover some mathematical law or formula to which will correlate these elements in a systematic manner. Deduction made from this law must always be true of similar instances of the phenomenon and this can be verified by experiment.*

*... the mind itself be from the outset not left to take its own course, but guided at every step, and the business be done as if by machinery.*

**Galileo Galilei**  
(1564-1642)



**Francis Bacon**  
(1561-1626)



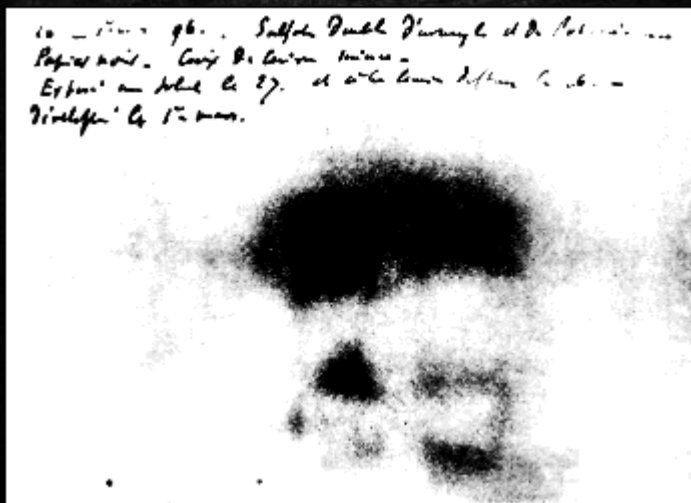
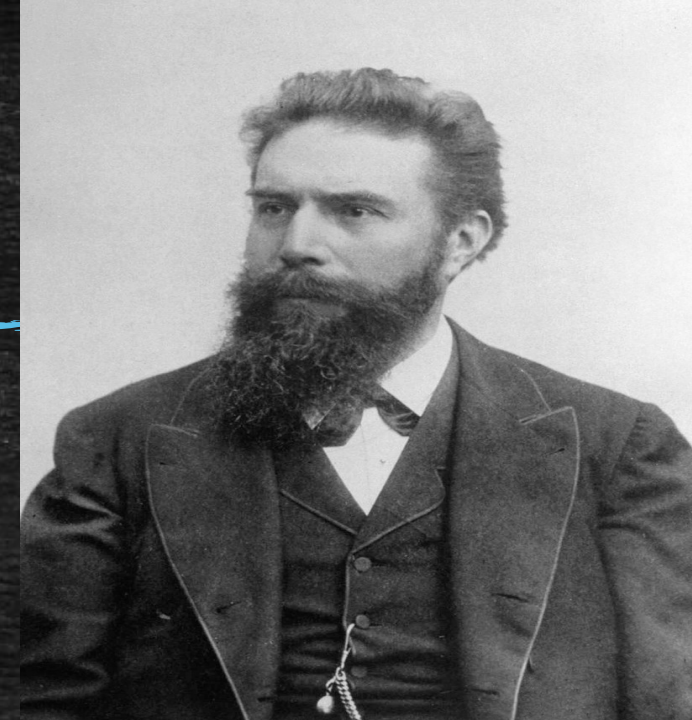


# The era of nuclear physics



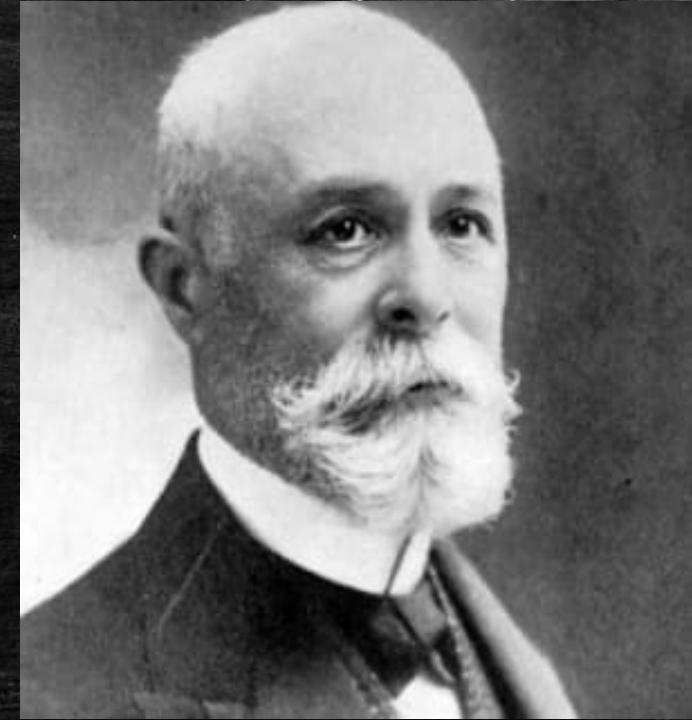
**Wilhelm Röntgen**  
(1845-1923)

*The first human X-ray image:  
Berta Röntgen's hand*



**Henri Becquerel**  
(1852-1908)

*Photographic plate of  
Becquerel impressed by the  
radioactivity of uranium.*





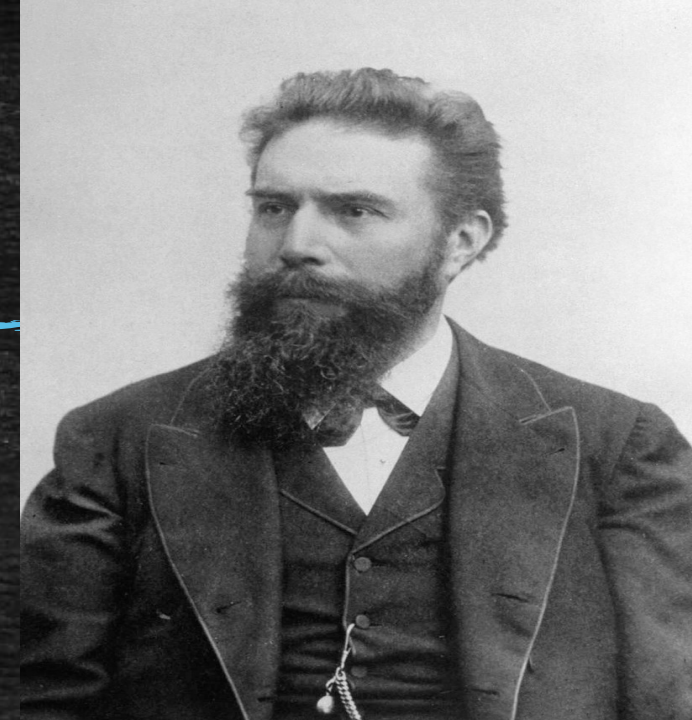
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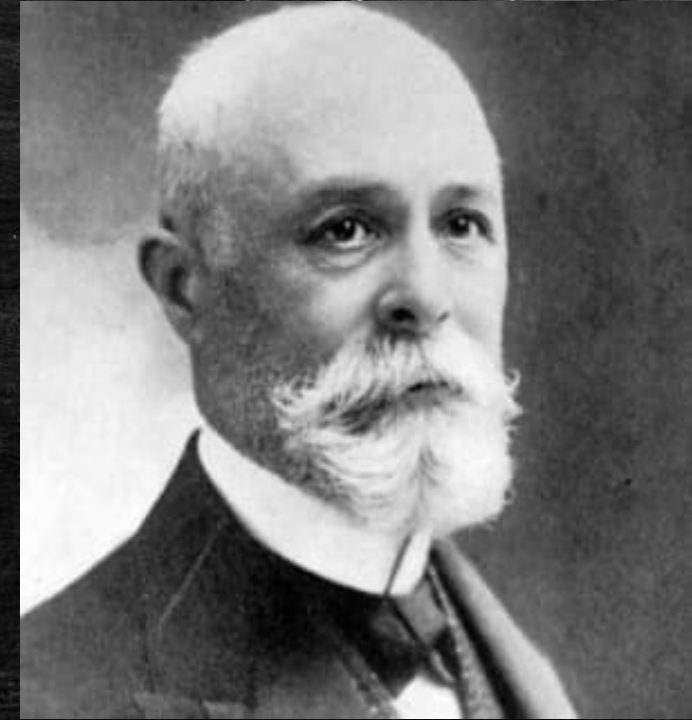
*The first*



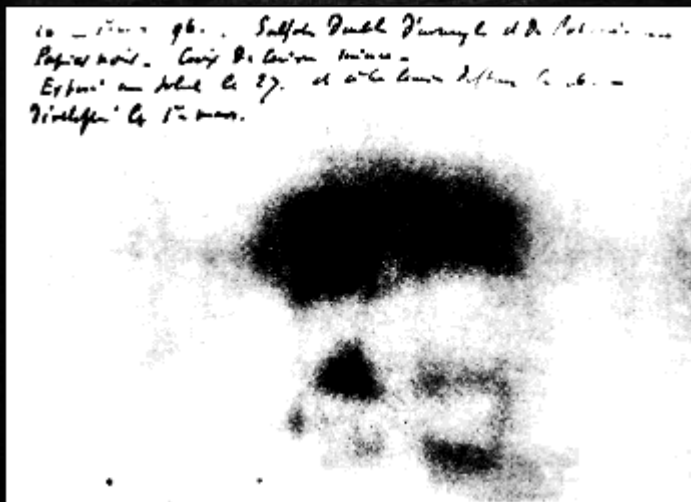
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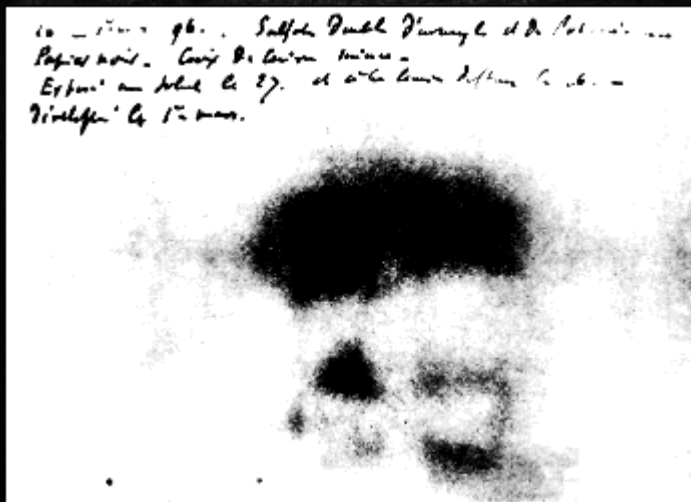
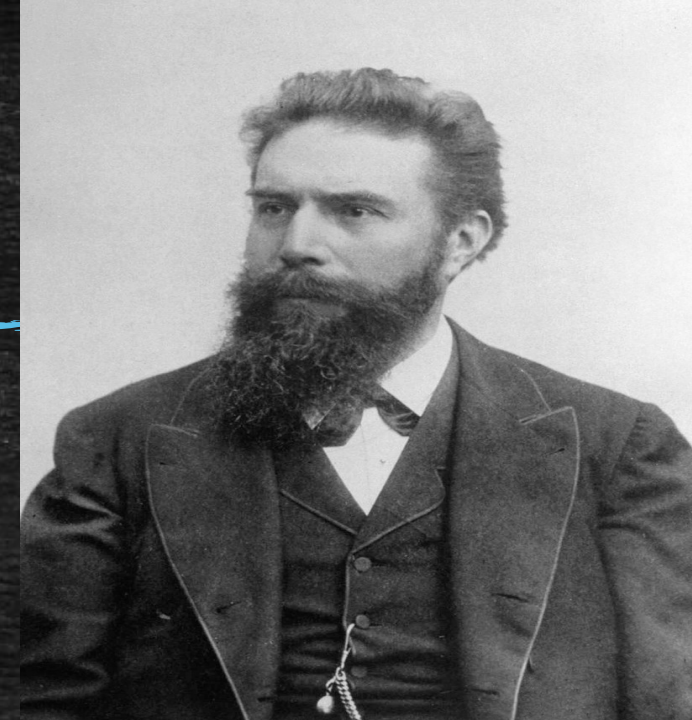




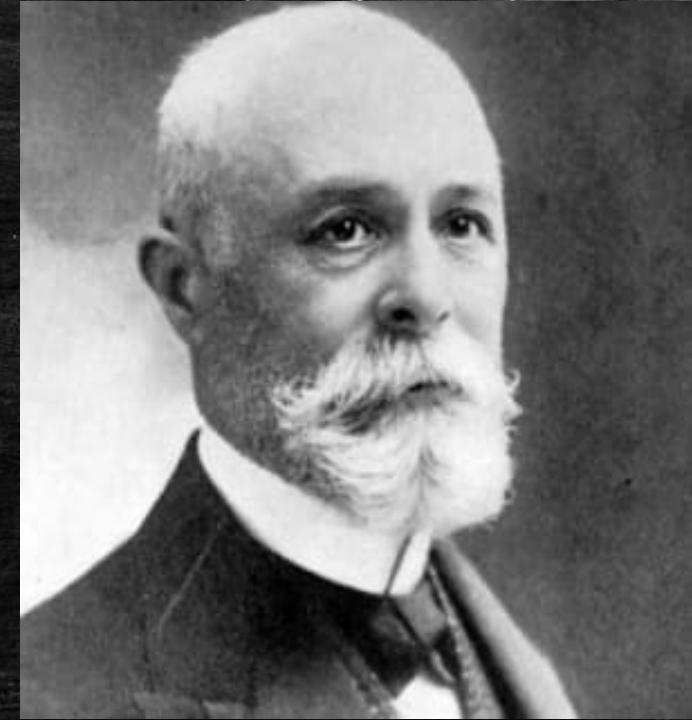
# The era of nuclear physics



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(1845-1923)



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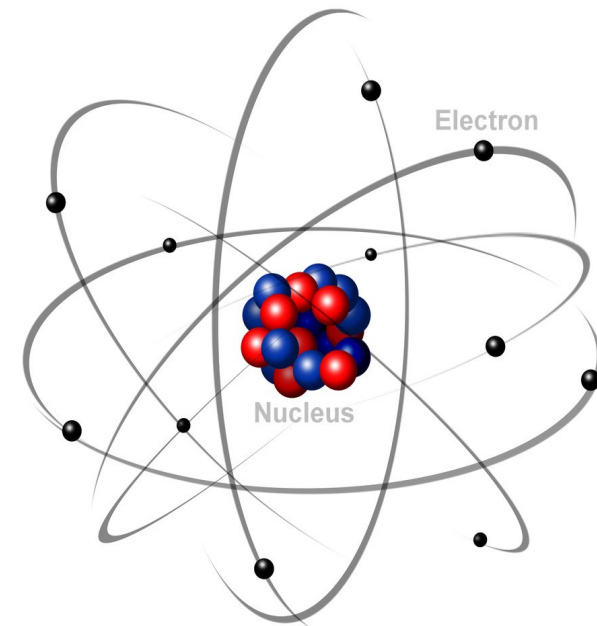
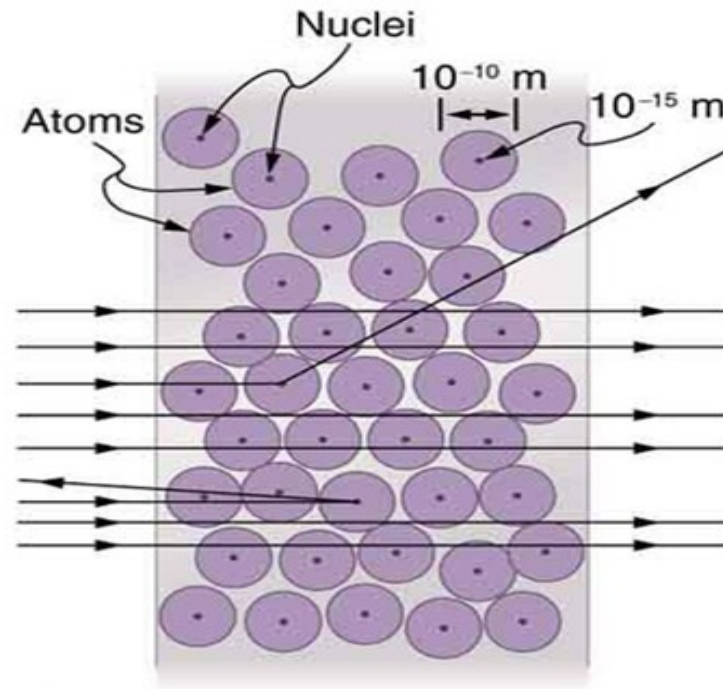
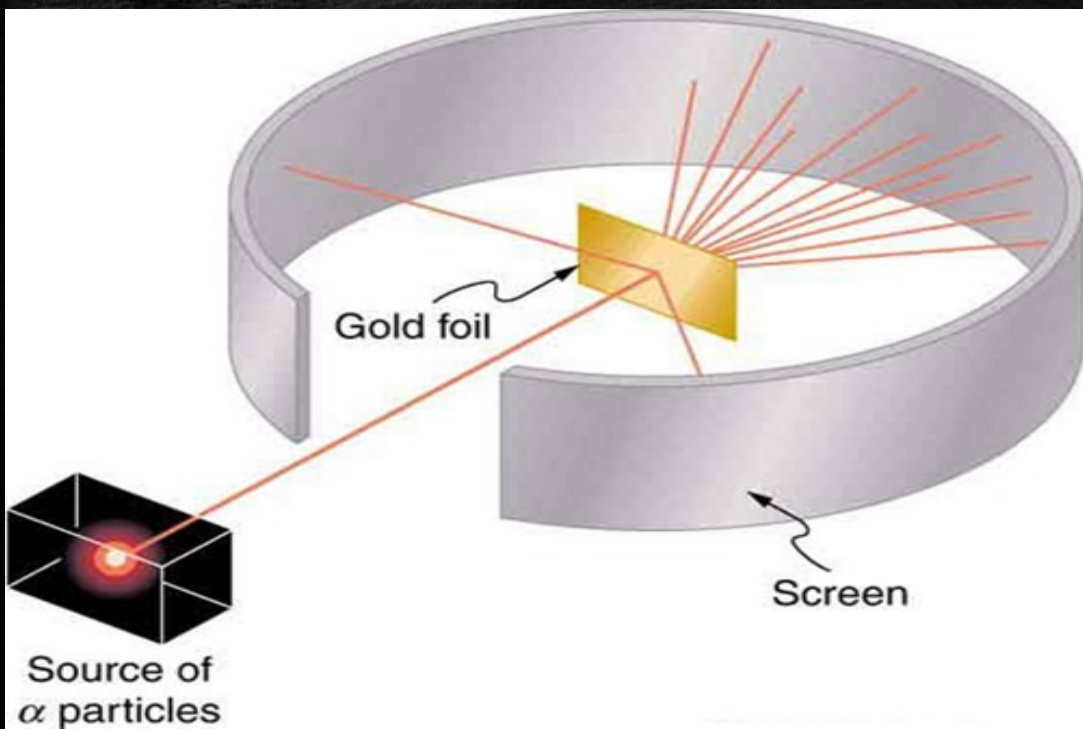
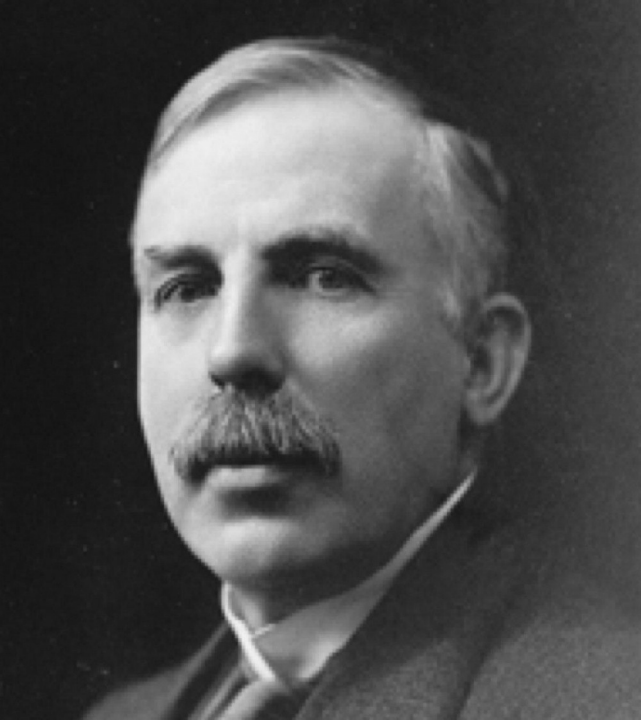
Ph... ate of  
Be... sed by the  
rad... of uranium.



# The era of nuclear physics

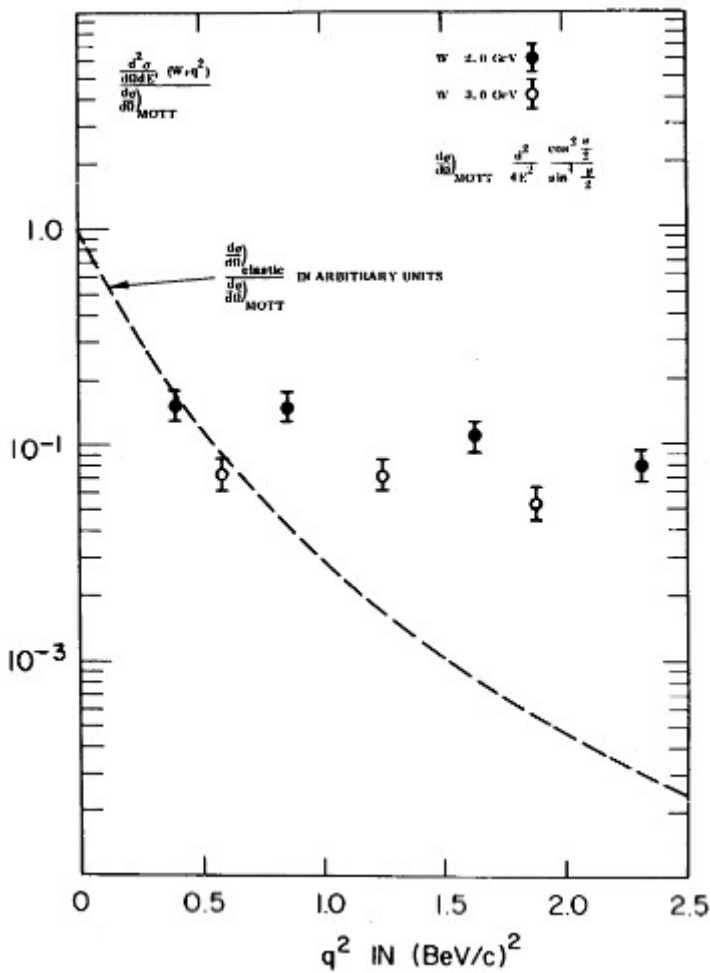
*I remember ... later Geiger coming to me in great excitement and saying 'We have been able to get some of the  $\alpha$ -particles coming backwards... It was almost incredible as if you fired 15-inch at a piece of tissue paper and it come back and hit you.*

**Ernest Rutherford**  
(1871-1937)





*The modern era of nuclear physics*  
*Deep inelastic scattering*



One of the earliest examples of the relatively large cross sections and weak  $q^2$  dependence that were found to characterize the deep inelastic scattering and which suggested point-like nucleon constituents.



# Richard E. Taylor (1929-2018)

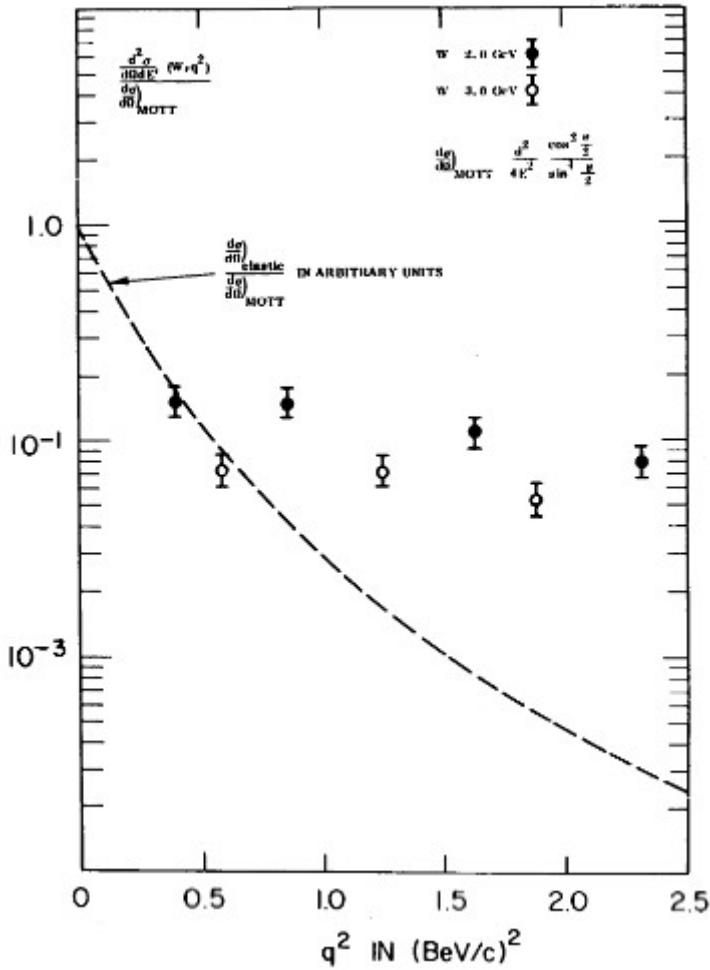
## Henry W. Kendall (1926-1999)

**Jerome I. Friedman**  
(1930)



# The modern era of nuclear physics

## Deep inelastic scattering



One of the first experiments to be found to characterize the deep inelastic scattering and which suggested point-like nucleon constituents.



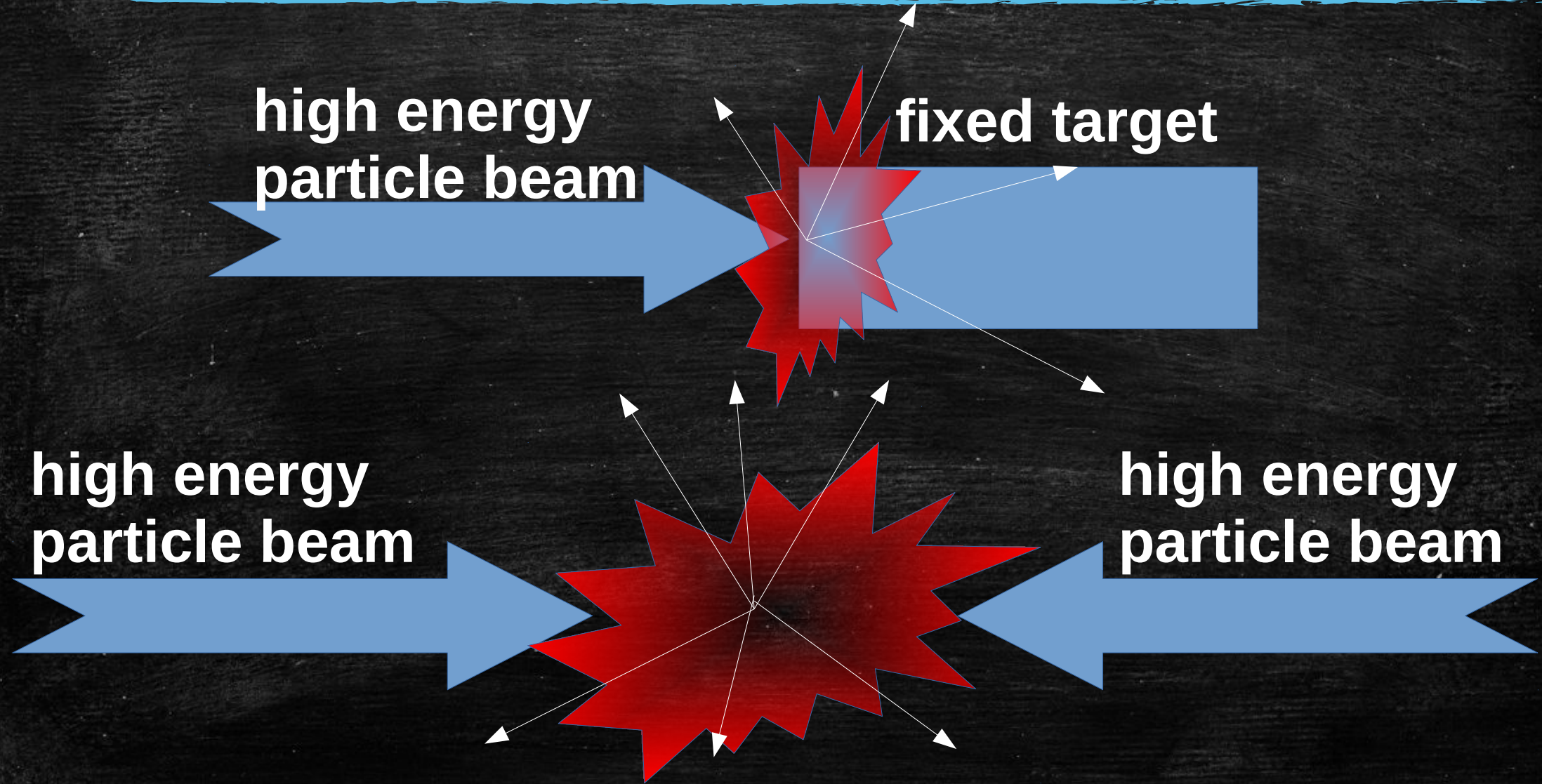
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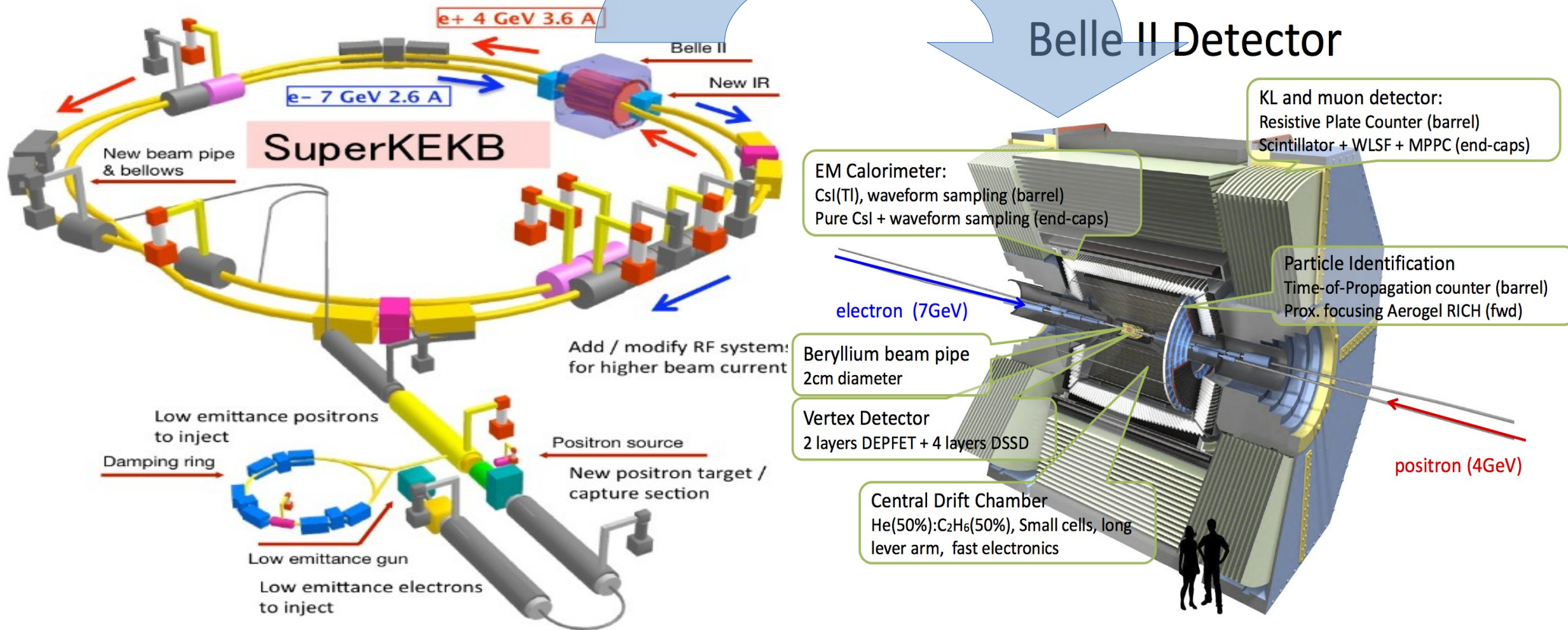


# *Deep inelastic scattering*



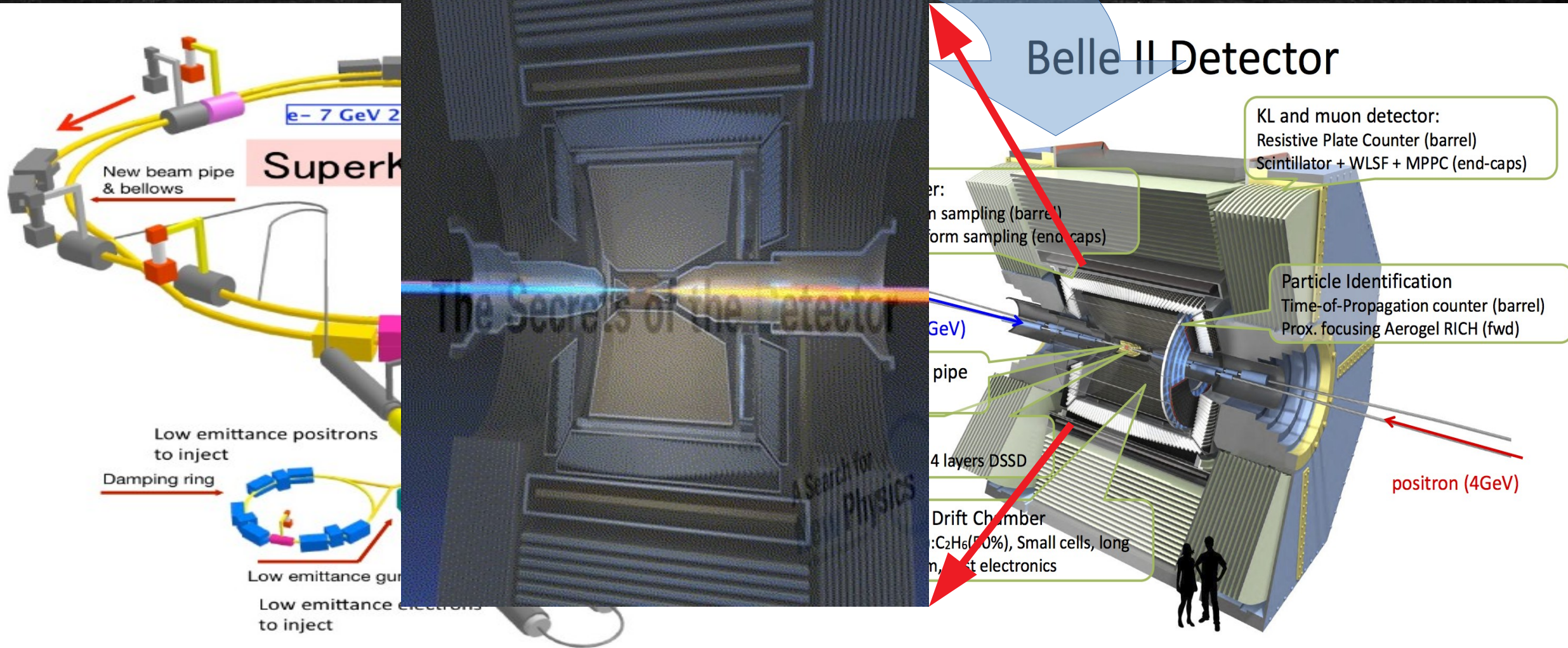


# The modern experimental setup





# The modern experimental setup



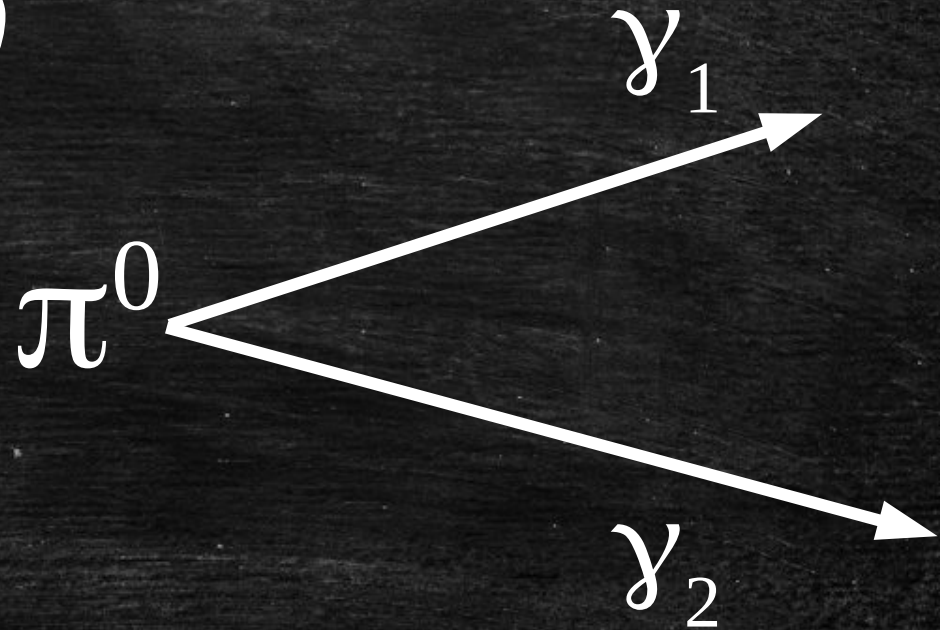


# Experimental techniques

Let's consider a particle (e. g.  $\pi^0$ ) which decays into two final state particles (i. e.  $\gamma$ ):

$$\tau \simeq 8.5 \times 10^{-17} \text{ [s]}$$

$$c\tau \simeq 2.5 \times 10^{-6} \text{ [cm]}$$



Question. How can we reconstruct a decaying particle ?

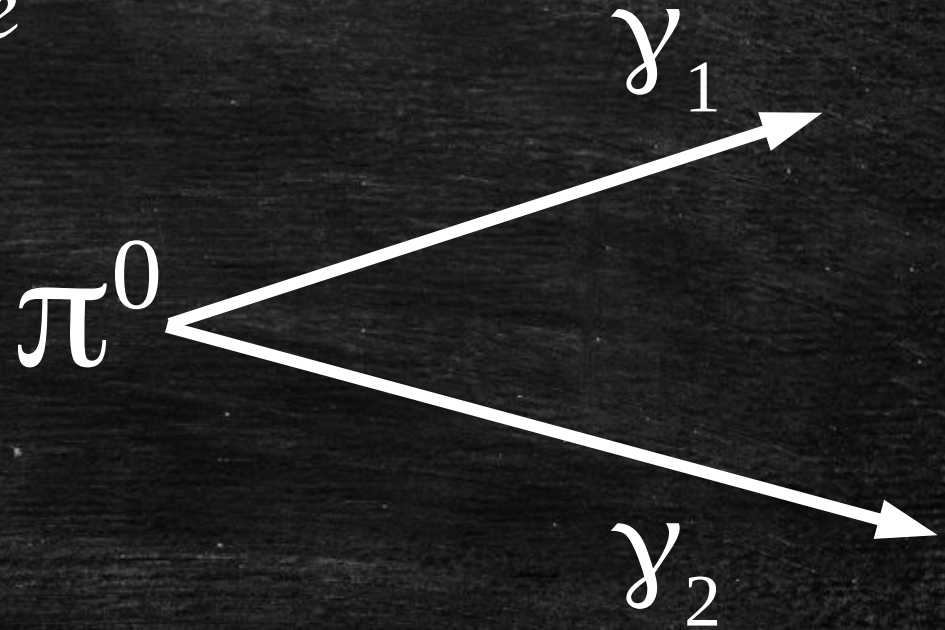


# *Experimental techniques*

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*In high energy particle physics we use a “special tool” that is the theory of Special Relativity. In this theory the energy-momentum relation is given by :*

$$E^2 = p^2 c^2 + m_0^2 c^4$$





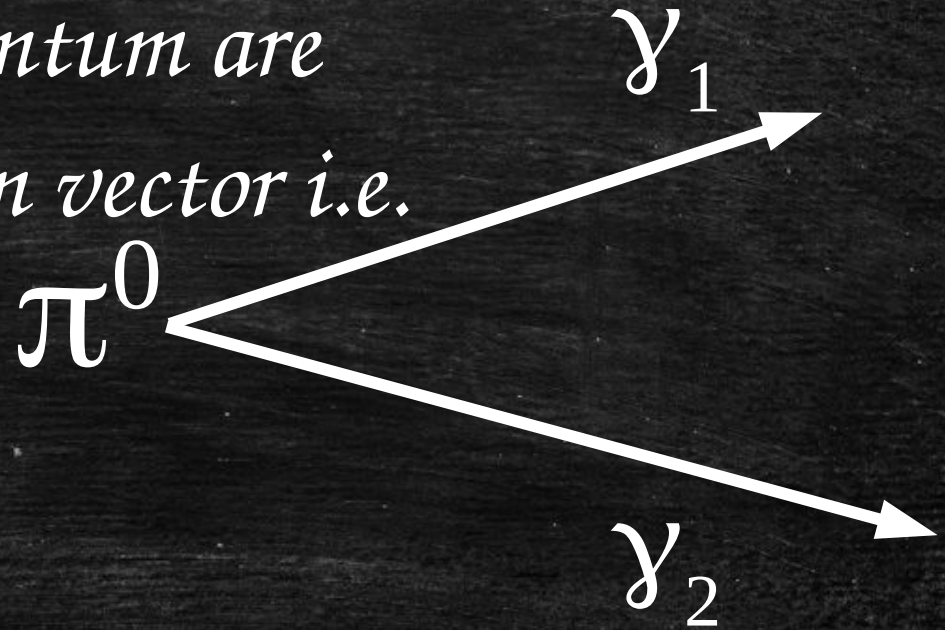
# Experimental techniques

Typically, energy and three-momentum are unified into the energy-momentum vector i.e. four-momentum vector  $\mathbf{p}_\mu$ :

$$\mathbf{p}_\mu = (E, \vec{\mathbf{p}})$$

with a square of four-momentum vector defined as :

$$\mathbf{p}_\mu \mathbf{p}^\mu = E^2 - |\vec{\mathbf{p}}|^2 \text{ (in a frame where } \mathbf{c} = \mathbf{1}) \Rightarrow \mathbf{p}_\mu \mathbf{p}^\mu = m_0^2$$



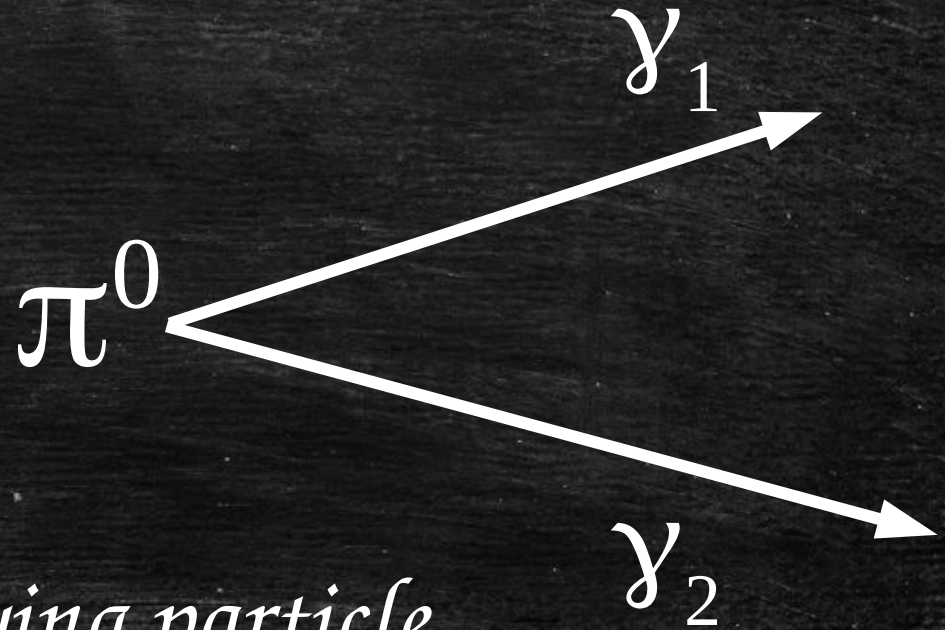


# Experimental techniques

Finally, we use conservation of four-momentum  $\mathbf{p}_\mu$ :

$$\mathbf{p}_\mu^{\pi^0} = \mathbf{p}_\mu^{\gamma_1} + \mathbf{p}_\mu^{\gamma_2}$$

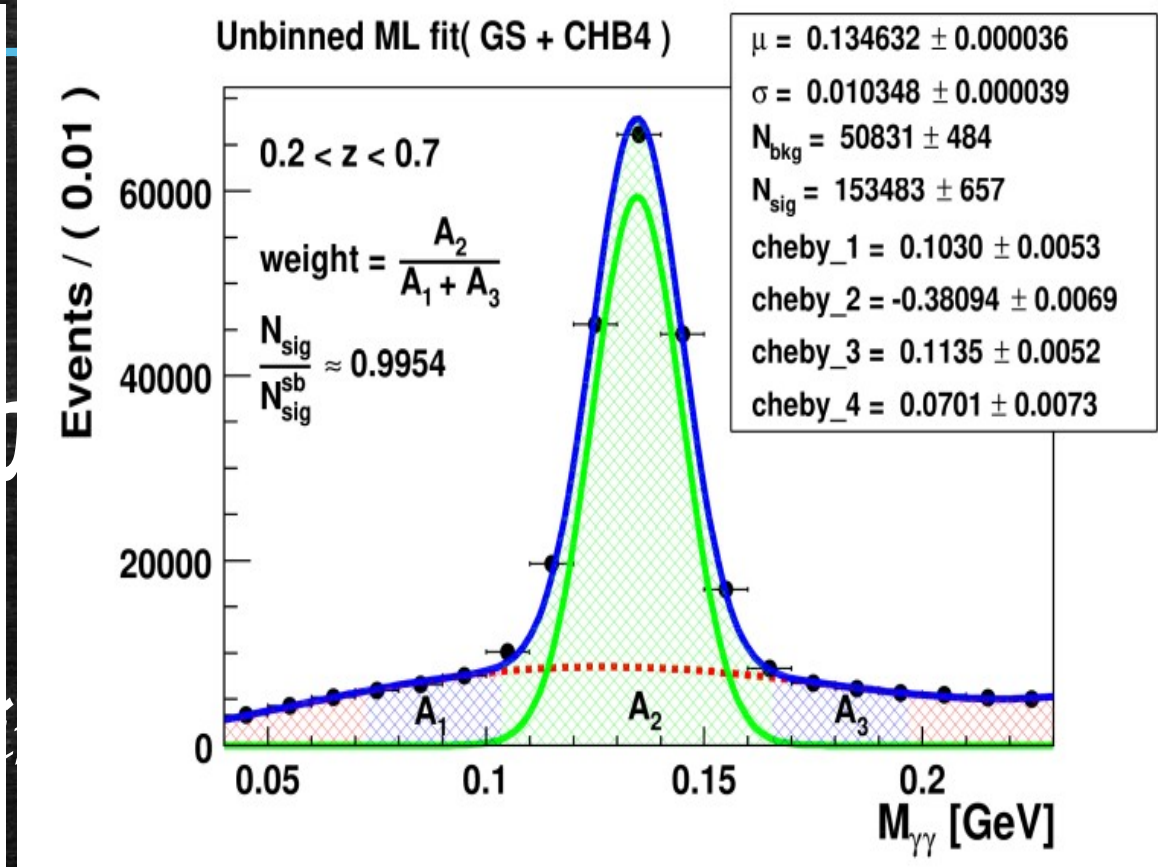
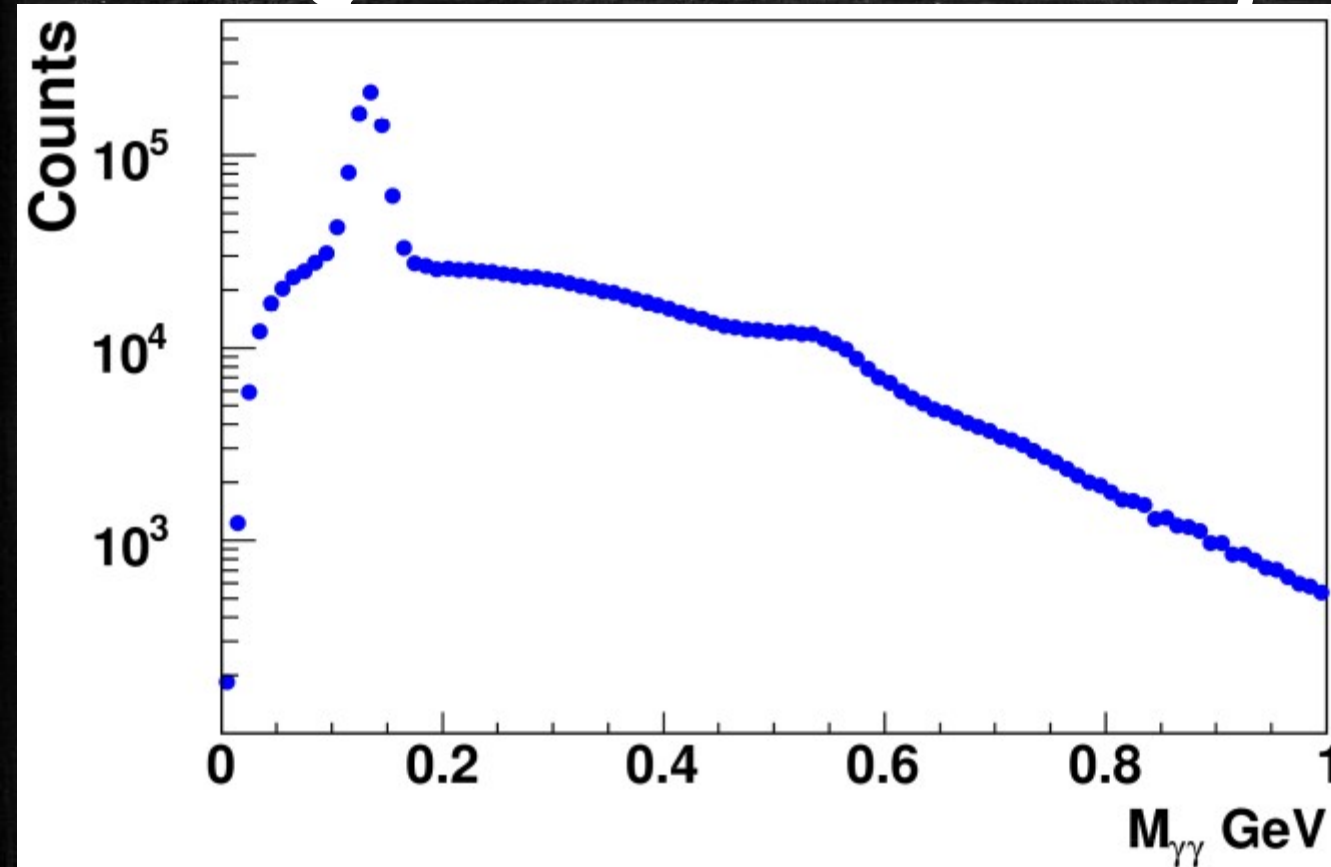
to reconstruct the mass of a decaying particle



$$\mathbf{M}_{\gamma\gamma}^2 = (\mathbf{p}_\mu^{\gamma_1} + \mathbf{p}_\mu^{\gamma_2})^2 \Rightarrow \boxed{m_{\pi^0}^2}$$



# Experimental techniques



$$M_{\gamma\gamma}^2 = (p_{\mu}^{Y_1} + p_{\mu}^{Y_2})^2 \Rightarrow m_{\pi^0}^2$$



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*It doesn't matter how beautiful your theory is, it doesn't matter how smart you are. If it doesn't agree with experiment, it's wrong.*

*R. P. Feynman*